Key Vocabulary: add, more, sum, make, total, How much more is...? one more, altogether
Objective \& Strategy

- Knows that a group of
things change in quantity
when something is added.
- Find the total number of
items in two groups by
counting all of them.
- Says the number that is
one more than a given
number.
- Finds one more from a
group of up to five objects,
then ten objects.
- In practical activities and
discussion, beginning to use
the vocabulary involved in
adding.
- Using quantities and
objects, they add two single
digit numbers and count on
to find the answer.
- Solve problems including
doubling.


## Year 1

Key Vocabulary: add, more, sum, make, total, How much more is...? one more, altogether, plus, altogether, more than, put together, and, most, count on, double, equal, equal to, number line
Objective \& Strategy
To add a one digit and two
digit number to 20 , including
zero.

## Year 2

 inverse, digits, commutative law

| Objective \& Strategy | Concrete | Pictorial | Abstract |
| :---: | :---: | :---: | :---: |
| -To recall and use addition facts to 20 fluently | Use concrete apparatus to represent each part of calculation: cubes, base 10, place value counters etc. Then use this to show related addition facts. <br> Part- part whole models and bars can be used to support this. | Use pictorial representatives to explore addition facts to 20. Children begin to showing their understanding by representing using numbers. | Record as a written calculation $\begin{aligned} & ?+1=20 \\ & 1+?=20 \end{aligned}$ <br> Understand the term commutative for addition $\begin{array}{r} 20-1=? \\ 20-?=1 \end{array}$ |
| -To derive and use related facts up to 100. | Use concrete appartus (base 10/place value counters) to show mathematical facts up to 100 . <br> For example: $3+3=6$ <br> So.. $30+30=60$ | Use pictorial representations to show mathematical related facts. Children show their thinking using jottings to record their mathematical calculations. $\begin{array}{ll} 3+3=6 & \because+\therefore=\therefore \\ 30+30=60 & \|\|\mid+\\| \\|=\\| \\|\\| \\| \\ 300+300=600 & \square \square+\square \square=\square \square \end{array}$ | Record as a written calculation $3+4=7$ <br> leads to... $30+40=70$ <br> leads to... $300+400=700$ |
| -To add 3 one-digit numbers. | Use concrete apparatus (bead strings/cubes/base 10) to add three single digit numbers. $4+7+6=17$ <br> Put $4+6$ together to make 10 . Add on 7. $7+2+3$ <br> Combine to make 10 first if possible, or bridge 10 then add the third digit. | Use pictorial representations to add three single digit numbers. <br> Children find the numbers that make 10 to aid the adding skills. <br> Regroup and draw representation. | Record as a written calculation <br> Children are encouraged to add the numbers that make ten before adding the final number. $\begin{aligned} (4+7+6 & =10+7 \\ & =17 \end{aligned}$ <br> Combine the two numbers that make/ bridge ten then add on the third. |



Children will continue to organise calculations using concrete resources (base 10/place value counters) to make sense of the calculation.

Step 1: (Not crossing tens boundary)

-To add two 2-digit numbers to 100 (including bridging)

Step 2: (Bridging)

Use pictorial representations to add two 2-digit number to 100.

Step 1: (Not crossing tens boundary)
$T \quad 0$
$11 \quad \therefore$
$\frac{111}{50+7}=57$


Once all exchanges are complete we see


When children bridge through 10, they will need to exchange 10 ones for 1 ten.

Record as written calculation using digits

Step 1: (Not crossing tens boundary)

| $20+3$ |
| ---: |
| $+30+4$ |
| $50+7$ |
| $=\underline{\underline{50}}$ |

Step 2: (Bridging)


## Year 3

 hundreds, inverse, digits, commutative law, increase, vertical, 'carry', expanded, compact


Year 4
 inverse, digits, hundreds, commutative law, increase, vertical, 'carry', expanded, compact, thousands


## Years 5 \& 6

 inverse, digits, commutative law, hundreds, increase, vertical, 'carry', expanded, compact, decimal places, decimal point, tenths, hundredths, thousandths, integer


